

## CORRELATION – section 10.1

**x** = independent variable    **y** = dependent variable    **n** = number of data pairs

**Pearson's correlation coefficient** (Pearson's *r*)  
( *r* and  $\rho$  is always between  $-1$  and  $+1$ )

*r* is used for sample  
 $\rho$  (rho) is for population

### On your calculator:

Record values for corr or *r*, a, and b.  
(Don't use formula on pg. 540)



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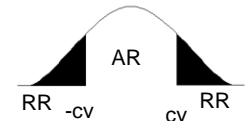
### HYPOTHESIS TEST FOR SIGNIFICANCE OF *r* VALUE (page 543)

$\rho$  (rho) is population correlation coefficient, assumed = 0

$H_0: \rho = 0$  (no correlation)    \* $H_1: \rho \neq 0$  (significant positive or negative correlation)

**Alpha level:** Use given alpha, use  $\alpha = .05$  as default.

**Critical value:** Use t-table, 2-tailed test, degrees of freedom =  $n - 2$



**Test value:**  $tv = r \sqrt{\frac{n-2}{1-r^2}}$

**Decision:** Reject  $H_0$  if  $tv > \text{critical value}$  or  $tv < -\text{critical value}$ ; do not reject  $H_0$  otherwise.

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## LINEAR REGRESSION – section 10.2

(use only if Pearson's *r* is significant)

Line equation:  $y' = a + bx$  where  $\left\{ \begin{array}{l} y' = \text{predicted value of } y \\ a = \text{y-intercept of regression line} \\ b = \text{slope of regression line} \end{array} \right.$

**On your calculator:** Use the **a** and **b** values determined while finding correlation *r*.  
(Don't use formulas on pg. 553)

**Coefficient of Determination** ( $R^2$  or  $r^2$ ) is the square of Pearson's *r* value.